

AP 2 Fluids WS 6

Come ti chiami? _____

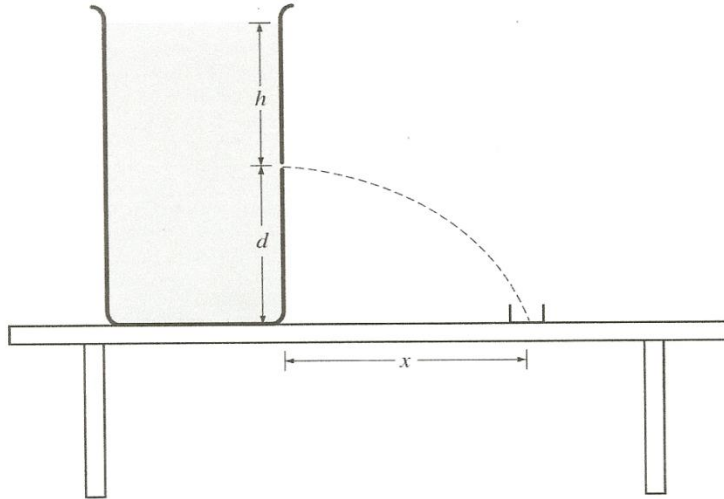


“Chemistry is the dirty part of Physics.”

– Peter Reiss

1. Could you use a straw to sip a drink on the moon? Explain
2. On a distant planet the acceleration due to gravity is less than it is on earth. Would you float more easily in water on this planet than on earth? Explain.
3. A person who weighs 635 N is riding a 98 N mountain bike. Suppose the entire weight of the rider and bike is supported equally by the two tires. If the gauge pressure in each tire is 7.6×10^5 Pa, what is the area of contact between each tire and the ground?

4.



4. (10 points)

The large container shown in the cross section above is filled with a liquid of density $1.1 \times 10^3 \text{ kg/m}^3$. A small hole of area $2.5 \times 10^{-6} \text{ m}^2$ is opened in the side of the container a distance h below the liquid surface, which allows a stream of liquid to flow through the hole and into a beaker placed to the right of the container. At the same time, liquid is also added to the container at an appropriate rate so that h remains constant. The amount of liquid collected in the beaker in 2.0 minutes is $7.2 \times 10^{-4} \text{ m}^3$.

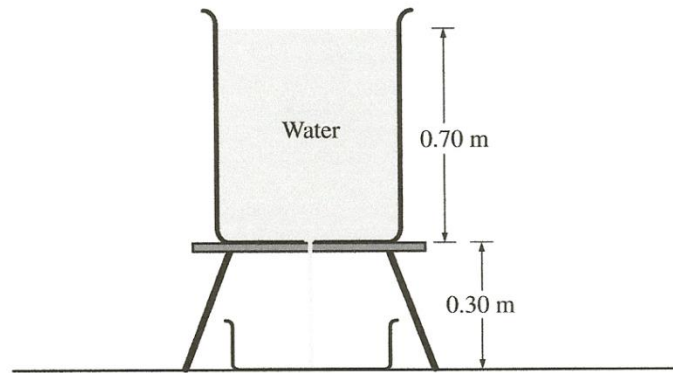
- Calculate the volume rate of flow of liquid from the hole in m^3/s .
- Calculate the speed of the liquid as it exits from the hole.
- Calculate the height h of liquid needed above the hole to cause the speed you determined in part (b).
- Suppose that there is now less liquid in the beaker so that the height h is reduced to $h/2$. In relation to the beaker, where will the liquid hit the tabletop?

___ Left of the beaker ___ In the beaker ___ Right of the beaker

Justify your answer.

should say "container"

5.



(10 points)

A cylindrical tank containing water of density 1000 kg/m^3 is filled to a height of 0.70 m and placed on a stand as shown in the cross section above. A hole of radius 0.0010 m in the bottom of the tank is opened. Water then flows through the hole and through an opening in the stand and is collected in a tray 0.30 m below the hole. At the same time, water is added to the tank at an appropriate rate so that the water level in the tank remains constant.

- Calculate the speed at which the water flows out from the hole.
- Calculate the volume rate at which water flows out from the hole.
- Calculate the volume of water collected in the tray in $t = 2.0$ minutes.
- Calculate the time it takes for a given droplet of water to fall 0.25 m from the hole.