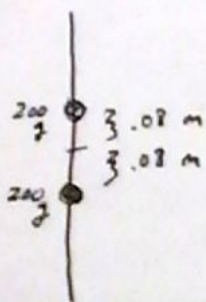
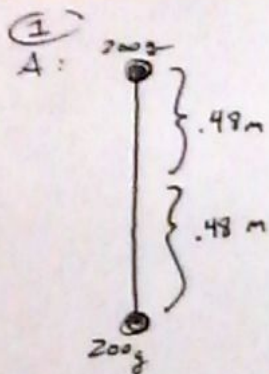
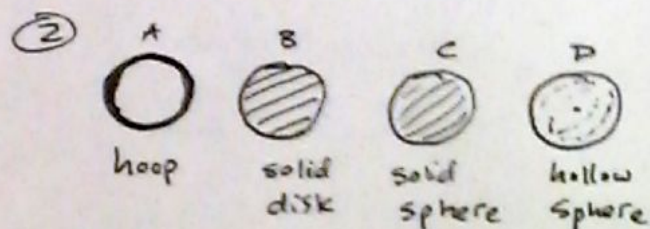


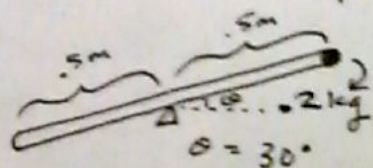
Rotational Inertia



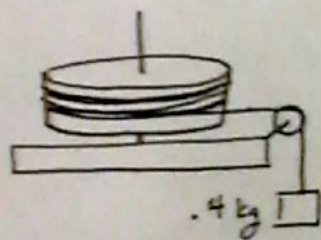
- Find I for both given a horizontal axis through the meterstick's midpoint (50cm mark).
- How does the mass of the meter stick's mass effect your answers in part a.
- How does rotational inertia differ if the axis of rotation is vertical through the metersticks?



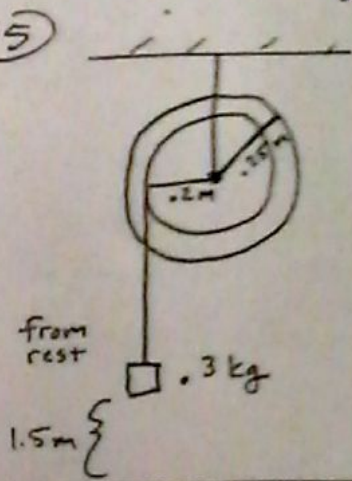
All four have equal radius and mass. Rank inertia from high to low.



A uniform thin rod: $.3\text{ kg}$, 1 m long, $I = .025\text{ kg}\cdot\text{m}^2$
Find α of the assembly, a of $.2\text{ kg}$ immediately after release from rest.

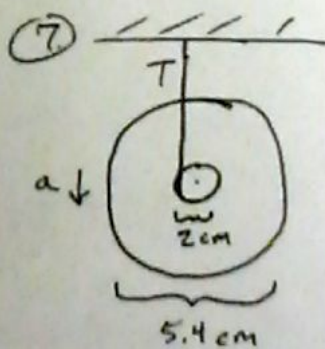


Disk $M = .5\text{ kg}$, $R = .1\text{ m}$, $I = \frac{1}{2}MR^2$
Light pulley. No friction. String does not slip.
 $a_{\text{box}} = ?$ $\alpha_{\text{disk}} = ?$ $T = ?$



The box takes 1.1 seconds to strike the floor.
 $a_{\text{box}} = ?$
 $I_{\text{pulley}} = ?$

⑥ Solve problem 5 using rotational and translational energy concepts.



$$\begin{aligned} y_0 - y_0 \\ M = 70\text{g} \\ I = 3.83 \times 10^{-5}\text{ kg}\cdot\text{m}^2 \end{aligned}$$

* Find a & tension. Released from rest.

- ⑧ A solid uniform sphere: $M, R, I = \frac{2}{5}MR^2$ rolls without slipping up or down an incline. Find a , α , and Force friction.
- Use the force approach.
 - Use the energy approach.

